# RAW CAMERA IMAGE DEMOSAICING USING FINITE IMPULSE RESPONSE FILTERING ON COMMODITY GPU HARDWARE USING CUDA

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Abstract: In this paper, we investigate demosaicing of raw camera images on parallel architectures using CUDA. To

generate high-quality results, we use the method of Malvar et al., which incorporates the gradient for edgesensing demosaicing. The method can be implemented as a collection of finite impulse response filters, which can easily be mapped to a parallel architecture. We investigated different trade-offs between memory operations and processor occupation to acquire maximum performance, and found a clear difference in optimization principles between different GPU architecture designs. We show that trade-offs are still important and not

straightforward when using systems with massive fast processors and slower memory.

# 1 INTRODUCTION

Nowadays, there is a large need for real-time image processing algorithms for various applications. However, developing algorithms for real-time execution is not a trivial task, especially if the algorithm is part of a more complex processing pipeline. Therefore, we will investigate the real-time aspect of one of such algorithms, demosaicing of raw camera images.

The majority of the cameras nowadays use a CCD array of sensors where every pixel sensor on the array can capture only one light intensity. Therefore, a color filter with different colors for every pixel is placed before the sensor array to capture red, green or blue values of the color spectrum. An example of such a filter is given in figure 1. The colors are placed in a specific pattern i.e. the Bayer pattern (Bayer, 1976). Typically, there are more green values than red and blue values, because of the spectral response of the human eye. The effect of such a color filter is that every pixel of the captured image only has a specific value for one color channel and the other color channels should hence be computed from the surrounding pixels. The calculation of the missing color channels is frequently called debayering or demosaicing.

In spite of the fact that most cameras perform demosaicing at the device level, it is useful to perform this processing later on. Firstly, the raw data is only a third of the demosaiced image; the raw image has

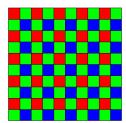


Figure 1: Example of a Bayer pattern.

only one channel, instead of three. This will speedup the communication between the camera and the processing device, thus increasing the overall performance. Secondly, demosaicing on devices with more processing power can result in higher quality images. More complex algorithms can be applied and less processing restrictions apply.

The most straightforward method of demosaicing is bilinear interpolation of the surrounding pixels. To calculate the value of a missing color channel, the values of the surrounding pixels of that color channel are averaged. This method is fast, but does not yield sharp results and ignores borders and details, resulting in severe artifacts, e.g. color bleeding.

To generate better results (Laroche and Prescott, 1994) and (Malvar et al., 2004) propose methods which incorporates the gradient of the values per color channel. Interpolating along an object edge is better than across an edge, to reduce color artifacts from se-

lecting the color of the wrong objects in the scene.

Hirakawa and Parks present an adaptive homogeneity-directed demosaicing algorithm which cancels aliasing and selects the interpolation direction with the least color artifacts. The interpolation direction is chosen such that a homogeneity metric is maximized (Hirakawa and Parks, 2005).

We will investigate the real-time aspect of the demosaicing problem. More specifically, we will discuss the method of Malvar et al. implemented on CUDA. This method is chosen because it uses linear finite inpulse response (FIR) filtering to produce high-quality results. FIR filtering is known to map very well on CUDA (Goorts et al., 2009), which will maximize the performance, while preserving the quality. This method is implemented earlier by (McGuire, 2008) using traditional GPGPU paradigms, but these optimization principles do not map to CUDA.

We will give an overview of the algorithm in section 2 and an overview of CUDA in section 3. We will further present our method in section 4 ans ultimately present the results in section 5.

# 2 DEMOSAICING WITH LINEAR FILTERING

To compose demosaiced images, we used the algorithm proposed by (Malvar et al., 2004). We will briefly describe the algorithm here.

Malvar et al. propose a non-directional demosaicing method implementable by a FIR convolution filter. Typical demosaicing algorithms, like bilinear interpolation, only use green filtered pixels for the green channel, red filtered pixels for the red channel, etcetera. The method of Malvar et al., on the other hand, also incorporates pixels where the filtered color differs from the current channel.

This is obtained by applying a pattern to the pixel and its neighbors. The different patterns and their respective pixel weights are shown in figure 2. The pattern used is dependent on the filtered color of the pixel and the desired color channel. For every pixel, three patterns are applied (one for every color channel), where one pattern is trivial.

These patterns are designed to improve the result around edges by incorporating the gradient of the luminance values. When we calculate the green value on a red filtered pixel, for example, we do not discard the red value. The red value is used to calculate the luminance change (using adjacent red values) and this is incorporated when calculating the green value. Thus, we calculate the bilinear interpolation of the green pixels around the red filtered pixel and use

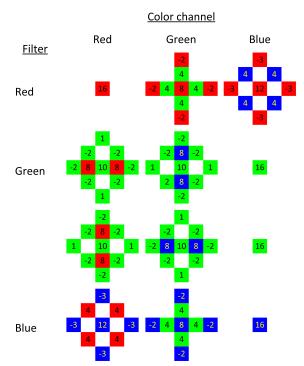


Figure 2: Convolution filters for demosaicing. The choice of filter is based on the desired color channel for that pixel (column) and the filter used for that pixel (row).

the red filtered pixels to correct this interpolation for edges. The same principle holds for different color channels.

These patterns can easily be used as finite impulse response (FIR) filters and implemented as such.

#### 3 CUDA ARCHITECTURE

To obtain real-time demosaicing of images, we use commodity GPUs for processing. More specifically, we use the CUDA framework provided by NVIDIA. Nowadays, commodity GPUs are exposed as a collection of single-instruction multiple-thread (SIMT) streaming processors, which easily allows parallel general purpose applications. To use these GPUs for general purpose applications, the algorithm must be split up in elementary threads that all execute the same code, but on different data. All threads share a block of off-chip global memory, which is accessible by the host CPU. The access to this global memory is slow and should be avoided as much as possible. To allow optimization, different threads are grouped together in blocks, where it is possible to reuse data loaded from global memory by using a type of shared memory. Access to the shared memory is fast, but limited to a block. All blocks have different shared

memories and no fast communication between blocks is therefore possible.

This paradigm is consistently mapped to the GPU hardware. The GPU is a collection of multiprocessors, where each multiprocessor contains one instruction decoder, but multiple streaming processors. Each streaming processor in a multiprocessor thus executes the same instruction, but using different data. All multiprocessors contain a local on-chip fast memory, accessible by all streaming processors. Every multiprocessor is furthermore connected to an off-chip GPU-wide memory block using a relatively slow memory bus.

Every block of the execution model maps on one multiprocessor and every thread of a block can be executed by one streaming processor. Because it is possible to have more threads in a block than there are streaming processors available, a thread scheduler is available to suspend and resume threads. The group of threads that is executed simultaneously is called a warp, and is well-defined by the number of streaming processors to allow performance optimizations. It is furthermore possible to have multiple blocks reside on a single multiprocessor. These blocks are completely separated from each other and can not communicate in any faster way as blocks on different multiprocessors can communicate.

Because this distributed shared memory architecture is well-known, it is possible to optimize the algorithm for maximum performance. Firstly, it is possible to coalesce memory accesses of the global memory of different threads in one memory call. This will reduce the load on the memory bus and increase the overall speed. Secondly, it is possible to optimize the number of blocks and threads per block to assure every processor is kept busy and no valuable processor cycles are lost. The effective fraction of used streaming processors is called the occupancy. Enough blocks and threads should be defined to utilize every streaming processor.

To increase occupancy, memory latency should be hidden. Threads will become idle when waiting for the results of a global memory fetch, which can take hundreds of clock cycles. Therefore, the idle threads can be swapped out and other threads can continue their execution. Because the threads can also use data from other threads in the same block, it will happen that the majority of the threads are waiting on a few threads, which in turn are waiting for the result of their global memory fetch. To counter this idle processor time, the multiprocessor can decide to fetch in another block of threads. This is only possible when the blocks are small enough to allow the presence of multiple blocks on the multiprocessor.

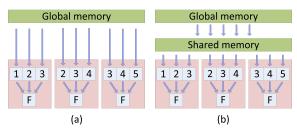


Figure 3: Implementation strategies for FIR filtering on parallel SIMT architectures. (a) Naive strategy. Every thread fetches all required data, resulting in multiple slow memory accesses per thread. (b) Optimized strategy. Every thread fetches only one data element and stores this in a shared memory. Because other threads fetch the other data elements, data reuse is possible, resulting in less slow memory

The number of blocks per multiprocessor and the number of threads per block is limited by the compute capability of the hardware. More recent compute capabilities allow more flexibility and more simultaneous threads, thus the optimizations are dependent hereof.

# 4 IMPLEMENTATION

We implemented the method of (Malvar et al., 2004) using CUDA. Because this method is a specialization of generic FIR filtering, we will discuss this first.

#### 4.1 Generic FIR Filtering

We can use the parallel direct GPU computing architecture to implement linear FIR filtering with the aid of a user-managed cache i.e. the shared memory (Goorts et al., 2009). When implementing, for example, a  $3 \times 3$  filter without optimizations, we can allocate one thread for every pixel of the image. This thread will access 9 pixels of the image in global memory to calculate the final result for the allocated pixel (see Figure 3 (a)). However, it is possible to reduce the memory accesses by reusing the information of nearby threads, i.e. the thread loads only his allocated pixel in shared memory and can then use the values of nearby pixels which are loaded in shared memory by other threads. Therefore, the amount of global accesses per thread is reduced to one, which is shown in Figure 3 (b).

Since the size of the blocks is limited and some threads at the borders of the blocks don't have enough data available to calculate the filtered value, we must create extra threads at the borders that only read pixel information and hereby will not calculate a new value. This way, these threads won't need the value for

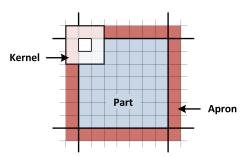


Figure 4: One block for filtering a part of the image. The threads at the border (red) are inside the apron and do not calculate new values for their pixels. They only load data for use by the internal threads (blue).

neighboring threads. The set of these specific threads is called the apron (see Figure 4).

# 4.2 FIR Filtering for Demosaicing

We have ported the demosaicing principles of (Malvar et al., 2004) on the GPU using CUDA. The algorithm is in essence a 2D linear FIR filtering. We already investigated FIR filtering using CUDA in our previous research (Goorts et al., 2009). Because the kernels are small, separating the kernels in 1D filters or using the Fourier transforms will not result in a speedup. Therefore, we will only use direct, straightforward filtering.

However, the effect of the number of threads per block and the trade-off between the total size of the apron and the occupancy must be investigated. When we have a small amount of threads per block, the overall amount of threads in the aprons is large, and a lot of accesses to global memory must be made. However, as the blocks are small, this allows for multiple blocks per multiprocessor, and enough blocks to utilize every available multiprocessor. When the number of threads per block is large, the overall number of threads in the aprons is smaller, but less blocks can be defined and some multiprocessors can become idle or no memory latency hiding can be employed. Therefore, we will investigate what the optimal number of threads per block is to maximize performance.

To avoid divergent branching, we defined a thread per square of four pixels. This way, every thread will process the same kind of data and no selection of the filter is needed; every thread uses all 12 filters.

#### 5 EXPERIMENTAL RESULTS

We performed our experiments on two devices using CUDA version 4.1. The first device is an NVIDIA GeForce 8800 GT with compute capability 1.1 and

112 streaming processors at 600 MHz; the second device is an NVIDIA GTX 580 with compute capability 2.0 and 512 streaming processors at 772 MHz. The input images have a resolution of  $1600 \times 1200$ . To reduce the effects of low-level process management by the operating system, we executed every configuration 5000 times and computed the average running time for a single execution.

We will present different results for both compute capabilities to stress the effect of changes in the architecture while it evolves to more advance massive parallelism.

# **5.1** Compute Capability 1.1

The measured execution times of the different configurations are shown in Figure 5. In this graph, we only discuss block widths that allow data coalescing; other widths will result in uncoalesced reads and decrease the performance severely.

Two effects are noticed: first, the general performance for very small blocks is high. This is caused by the occupancy of the multiprocessors; there are enough blocks to fill every multiprocessor and the memory footprint is small enough to allow multiple blocks per multiprocessor. Multiple blocks per multiprocessor allow for effective hiding of the memory latencies caused by starting fetches from global memory for other parallel threads. The performance is higher compared with larger blocks, which is counterintuitive as smaller blocks result in increased number of apron threads and thus more memory fetches.

The second effect is the almost constant execution time after a certain block size (shown as the dotted line on Figure 5). Increasing the block size will prevent allocating multiple blocks to one multiprocessor, and will hence decrease the performance. Nevertheless, when the blocks become larger, the overall number of threads in the aprons will decrease, simultaneously reducing the amount of global memory fetches. Ergo, after the performance drop due to the reduced occupancy, the performance will increase again, but remains lower than small block sizes.

# 5.2 Compute Capability 2.0

The measured execution times of the different configurations are shown in Figure 6. The results are interestingly different compared to compute capability 1.1; the most performant configuration is no longer the smallest block size. The total number of simultaneous threads raises due to the increased warp size, thus the total amount of simultaneous global memory reads increases. The latency becomes too high to ef-

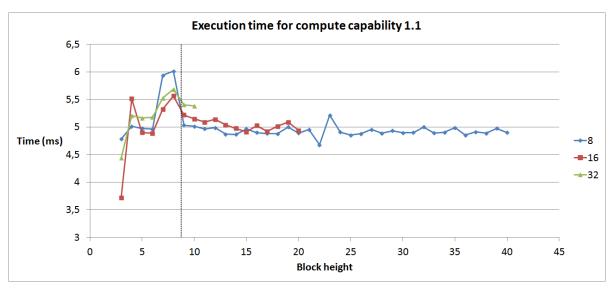


Figure 5: Results for compute capability 1.1. Every graph represents the width of the block, only considering coalesced configurations. The height is varied on the horizontal axis.

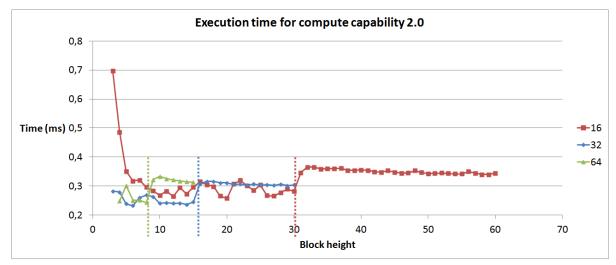


Figure 6: Results for compute capability 2.0. Every graph represents the width of the block, only considering coalesced configurations. The height is varied on the horizontal axis.

fectively hide it with more threads. Therefore, it is better to reduce the total number of memory fetches while keeping the occupancy as high as possible by making sure that multiple blocks per multiprocessor can be executed independently in succession.

Slightly increasing the block size does not decrease occupancy immediately. The specifications of compute capability 2.0 provide more flexibility, thus allowing larger block sizes. Therefore, we see a more distinct effect on the occupancy, which is clearly visible in Figure 6. This phenomenon manifests for block sizes of 64x9 (576 threads), 32x16 (512 threads) and 16x31 (496 threads), where the performance suddenly drops significant (shown as the dotted lines on Fig-

ure 6). The reason is that less blocks are allocated per multiprocessor, thus impeding on the advantage of memory latency hiding.

# 6 CONCLUSIONS

In this paper, we investigated the problem of demosaicing on CUDA using FIR convolution, and which trade-offs must be made. We found that there is a clear difference between compute capability 1.1 and 2.0, two of the most common CUDA hardware platforms.

Compute capability 1.1 has strict rules for coalesc-

ing and actual achievable occupancy. Therefore, it is more performant to hide memory latency and raise the performance by using small block sizes, even if thereby the memory accesses increase significantly.

Compute capability 2.0 allows more simultaneous threads and has more flexibility, thus automatically increasing the occupancy by allowing more blocks per multiprocessor. However, the throughput of the threads is too high to effectively hide all memory latency, thus occupancy is decreased for very small block sizes. Therefore, the amount of memory fetches can be decreased without affecting the occupancy, which increases the performance. This is valid until a specific threshold is reached. Crossing this threshold, the number of blocks per multiprocessor decreases, and the performance drops significantly.

These different results prove that the memory wall for systems with slow memory and fast processors, as stated by (Asanovic et al., 2006), still holds and that the effect becomes more distinct when the individual processor capabilities increase, and the number of processors increase faster than the speed of the memory. The trade-offs between processing and memory accesses are important and must always be properly investigated to reach maximum performance.

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